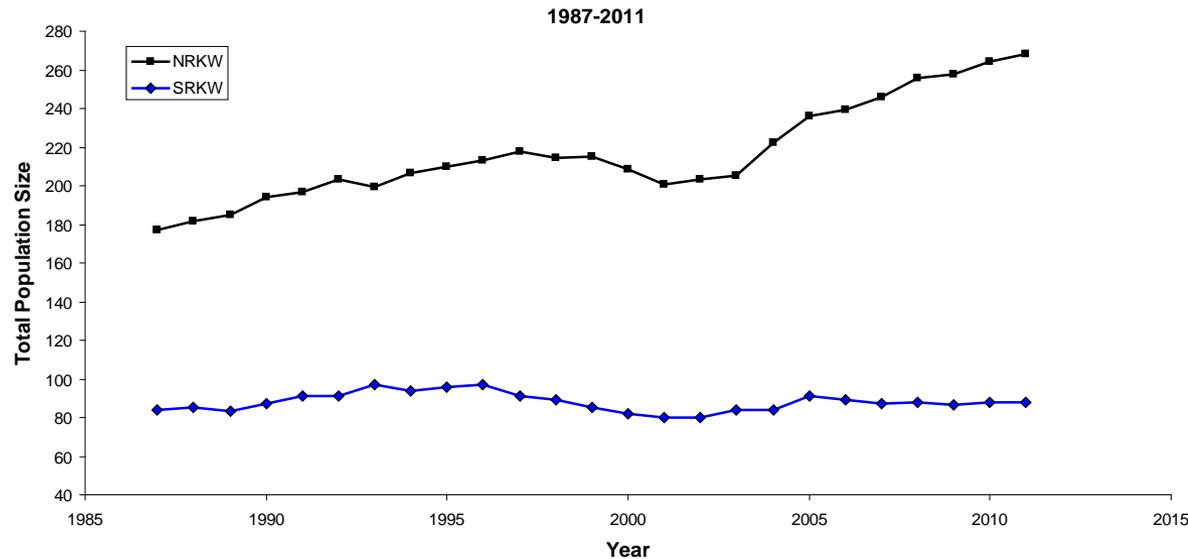


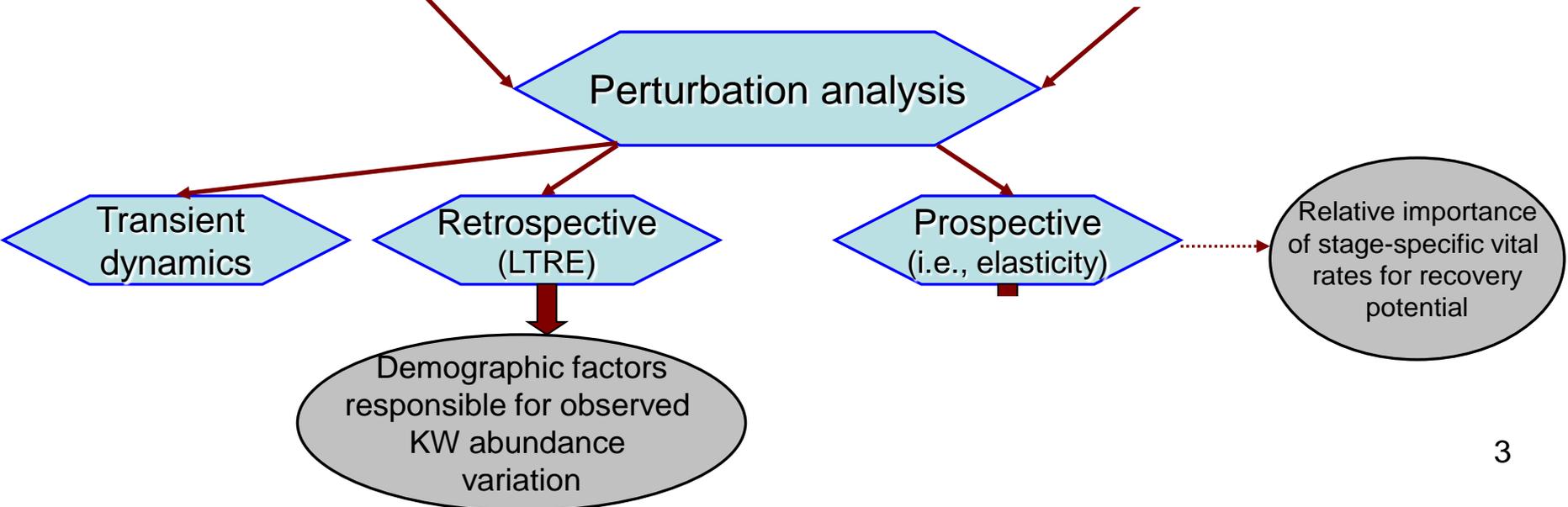
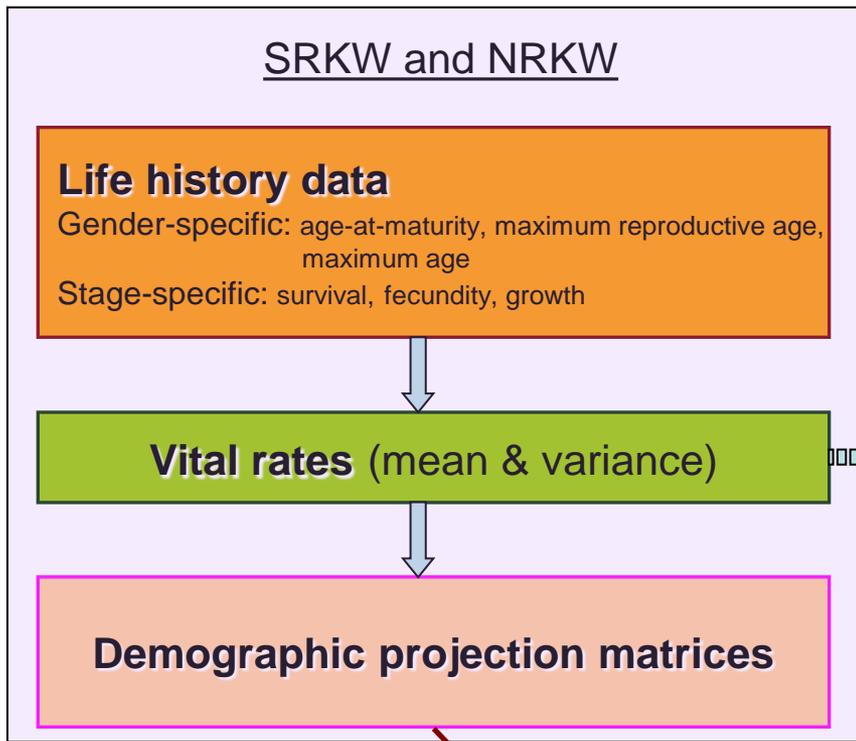
Killer Whale Demography

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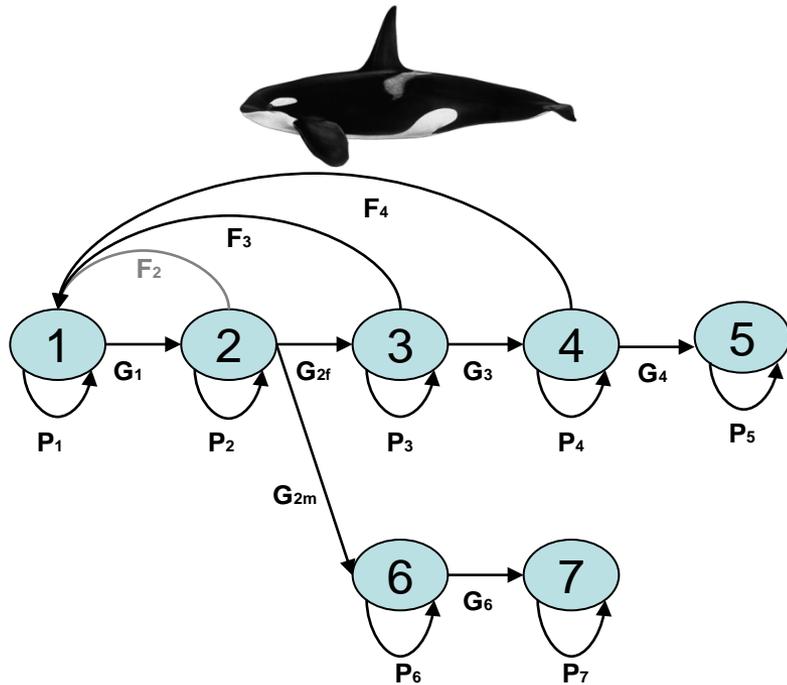
Context

- SRKW < 100 for the last generation with an average of 85 in the last decade
- NRKW generally increasing for the last generation with 268 individuals at the end of 2011
- Correlations between RKW vital rates & Chinook abundance detected by previous studies (e.g., Ward et al. 2009, Ford et al. 2010)





RKW base model



$$M = \begin{pmatrix} 0 & F_2 & F_3 & F_4 & 0 & 0 & 0 \\ G_1 & P_2 & 0 & 0 & 0 & 0 & 0 \\ 0 & G_{2f} & P_3 & 0 & 0 & 0 & 0 \\ 0 & 0 & G_3 & P_4 & 0 & 0 & 0 \\ 0 & 0 & 0 & G_4 & P_5 & 0 & 0 \\ \hline 0 & G_{2m} & 0 & 0 & 0 & P_6 & 0 \\ 0 & 0 & 0 & 0 & 0 & G_6 & P_7 \end{pmatrix}$$

- 1: Calves (viable 0.5-year old)
- 2: Juveniles (ages 2-9; undetermined sex)

- 3: Female 1
- 4: Female 2
- 5: Female 3
- 6: Male 1
- 7: Male 2

$$N_t = \begin{pmatrix} n_{t,1} \\ n_{t,2} \\ \cdot \\ \cdot \\ \cdot \\ n_{t,7} \end{pmatrix} \longrightarrow N_{t+1} = \lambda_M N_t$$

Population growth rate

Matrix elements vs. vital rates

- Matrix elements are a combination of vital rates
(σ_i = survival; μ_i = fecundity; γ_i = transition; ϕ = sex ratio)
- Under a two-sex, birth-flow model:

$$P_i = \sigma_i (1 - \gamma_i)$$

$$G_i = \sigma_i \gamma_i$$

$$F_i = \sigma_1^{0.5} \left((1 + P_i) \mu_i + G_i \mu_{i+1} \right) / 2$$

$$G_1 = \sigma_1^{0.5}$$

$$G_{2f} = \sigma_2 \gamma_2 \phi_f$$

$$G_{2m} = \sigma_2 \gamma_2 \phi_m$$

$$\sigma_{i,t} = \frac{n_{i,t+1}}{n_{i,t}}$$

γ_i = reciprocal of stage i duration (fixed)

$$\mu_{i,t} = \frac{\text{\# viable calves by females in stage } i \text{ at year } t}{\text{\# females in stage } i \text{ at year } t}$$

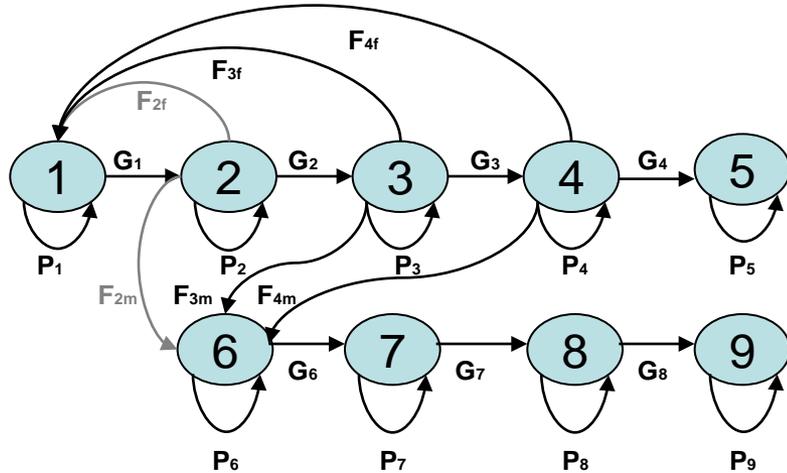
ϕ_f = average proportion of females

ϕ_m = average proportion of males

Vital rates as random variables

- **Prospective perturbation analysis**
 - Vital rates (survival & fecundity) drawn from lognormal and beta distributions
- **Retrospective perturbation analysis**
 - Matrix construction breaking down the variance of λ into the contributions from the variances in the vital rates → LTRE

Alternative RKW models



- 1: Female Calves
- 2: Female juveniles
- 3: Young reproductive females
- 4: Old reproductive females
- 5: Post-reproductive females
- 6: Male calves
- 7: Male juveniles
- 8: Young mature males
- 9: Old mature males

* Sex identification at birth

* Females only

M =

0	F_{2f}	F_{3f}	F_{4f}	0	0	0	0	0
G_1	P_2	0	0	0	0	0	0	0
0	G_2	P_3	0	0	0	0	0	0
0	0	G_3	P_4	0	0	0	0	0
0	0	0	G_4	P_5	0	0	0	0
0	F_{2m}	F_{3m}	F_{4m}	0	0	0	0	0
0	0	0	0	0	G_6	P_7	0	0
0	0	0	0	0	0	G_7	P_8	0
0	0	0	0	0	0	0	G_8	P_9

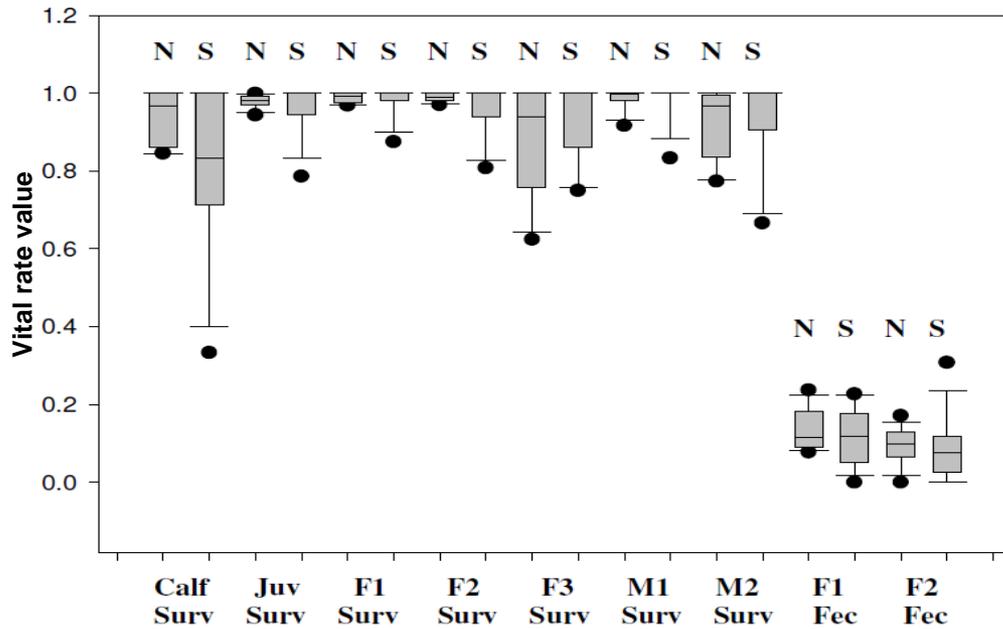
Criteria for selection of 1987-2011

- Demographic data based on direct observations (as opposed to reconstructions)
 - Numerous assumptions needed to reconstruct demographics of earlier years of the time series (greater uncertainty in early years)
- Minimizing influence of 1962-1973 live-capture fishery on population structure
 - Fishery removed juveniles & young males (anomalous population structure)
- At least 1 generation (25 years)
 - 75% alive in 2011 born during 1987-2011

Results

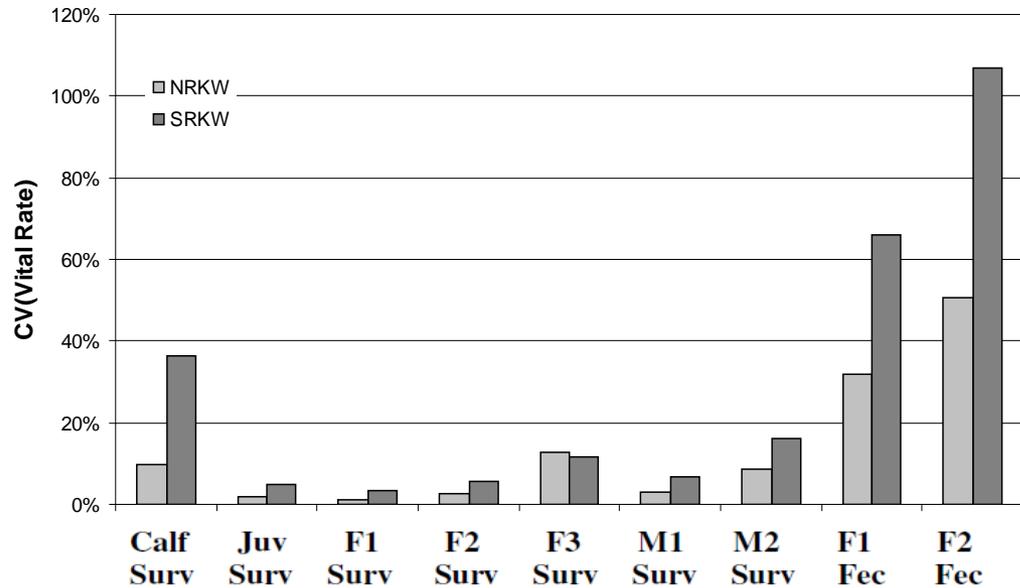
Pure RKW demographic models

Vital rates



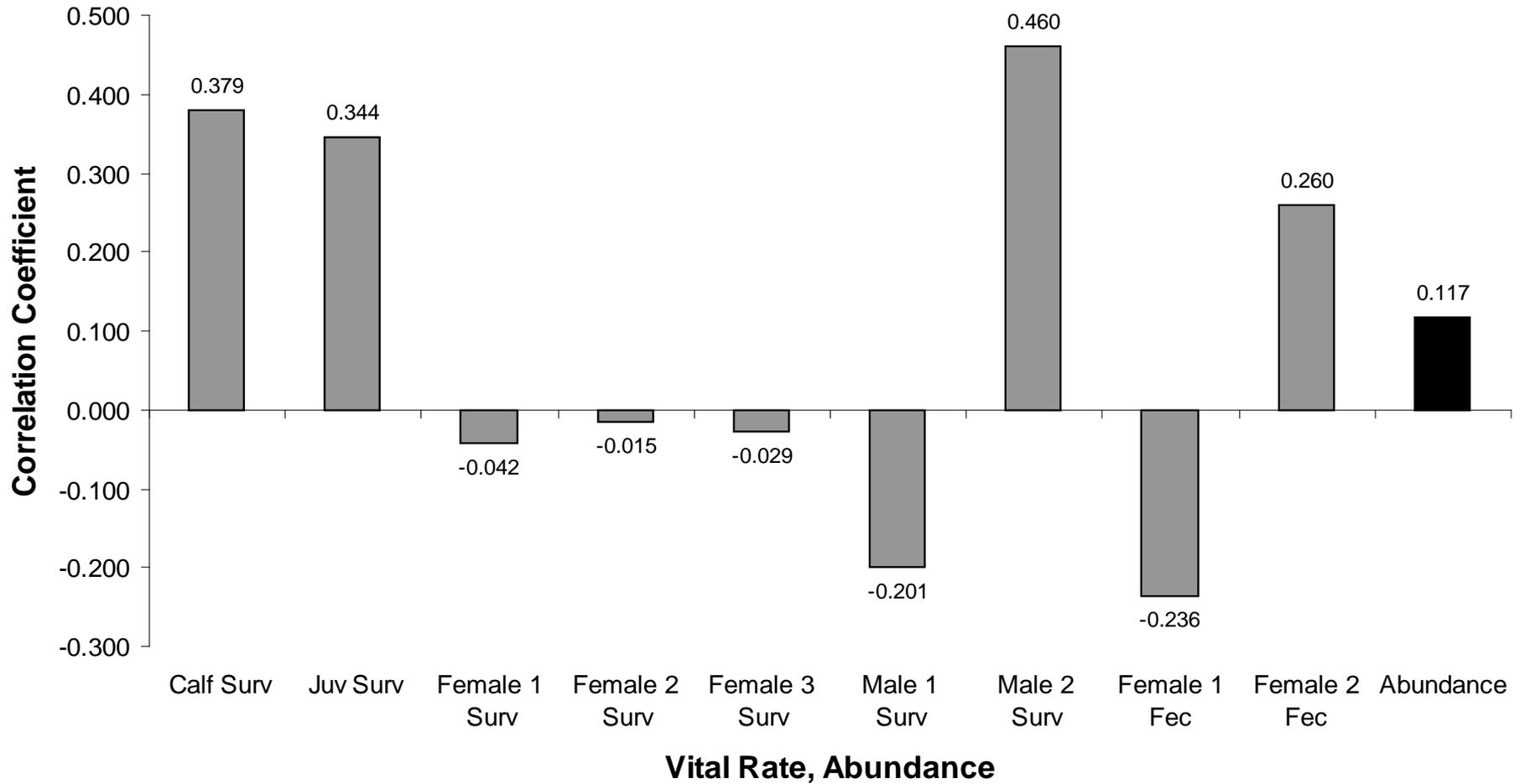
* Greater vital rate variability in SRKW than in NRKW

* Lower viable-calf survival in SRKW than in NRKW



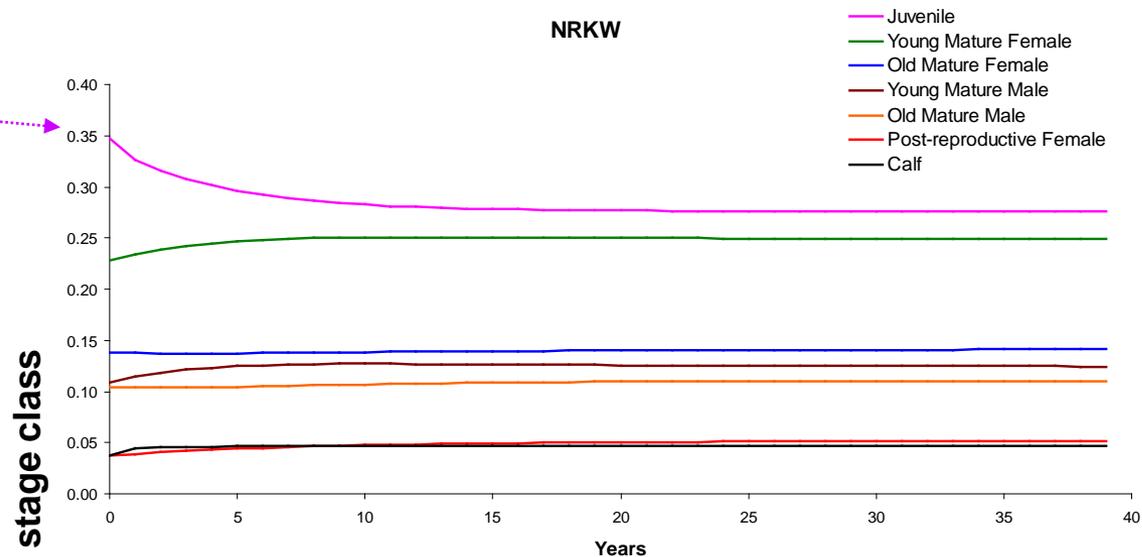
* Lower fecundity of older females in SRKW than in NRKW

NRKW-SRKW Covariation

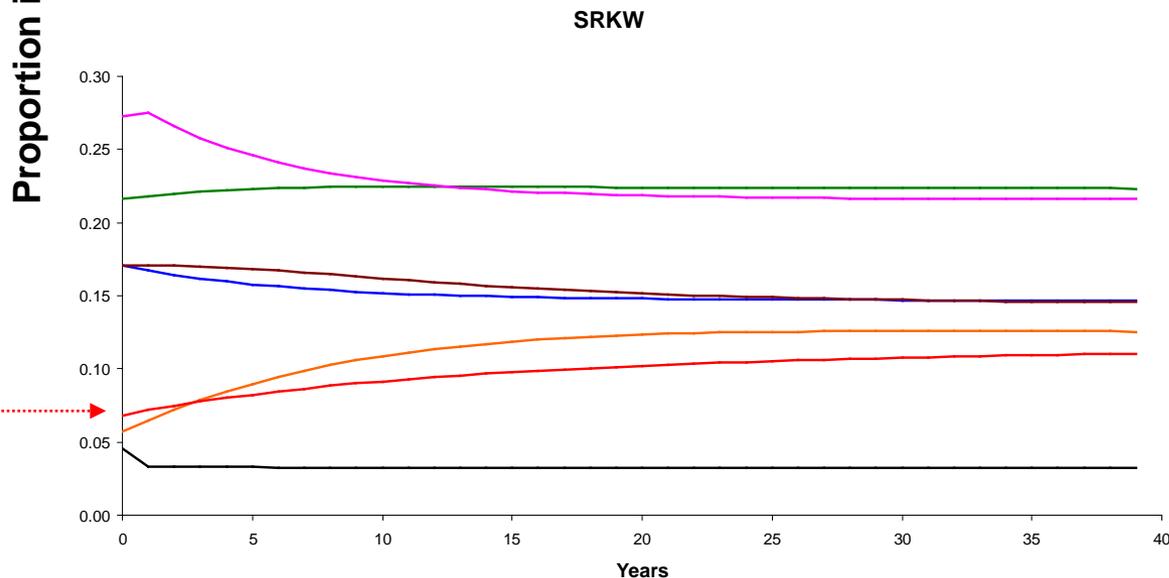


Current stage distribution closer to the stable stage distribution in NRKW than in SRKW s

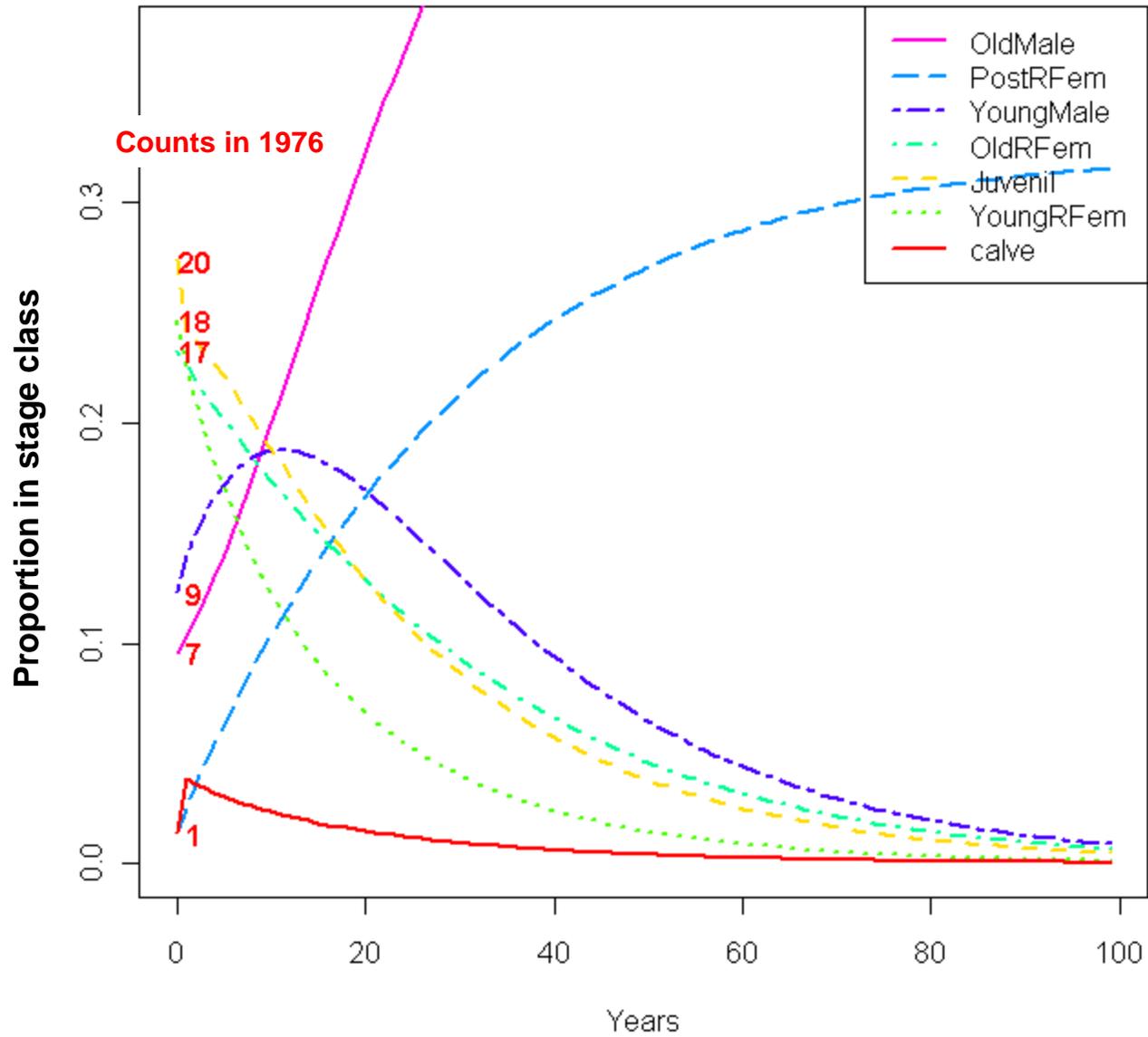
Higher proportion of juveniles in NRKW



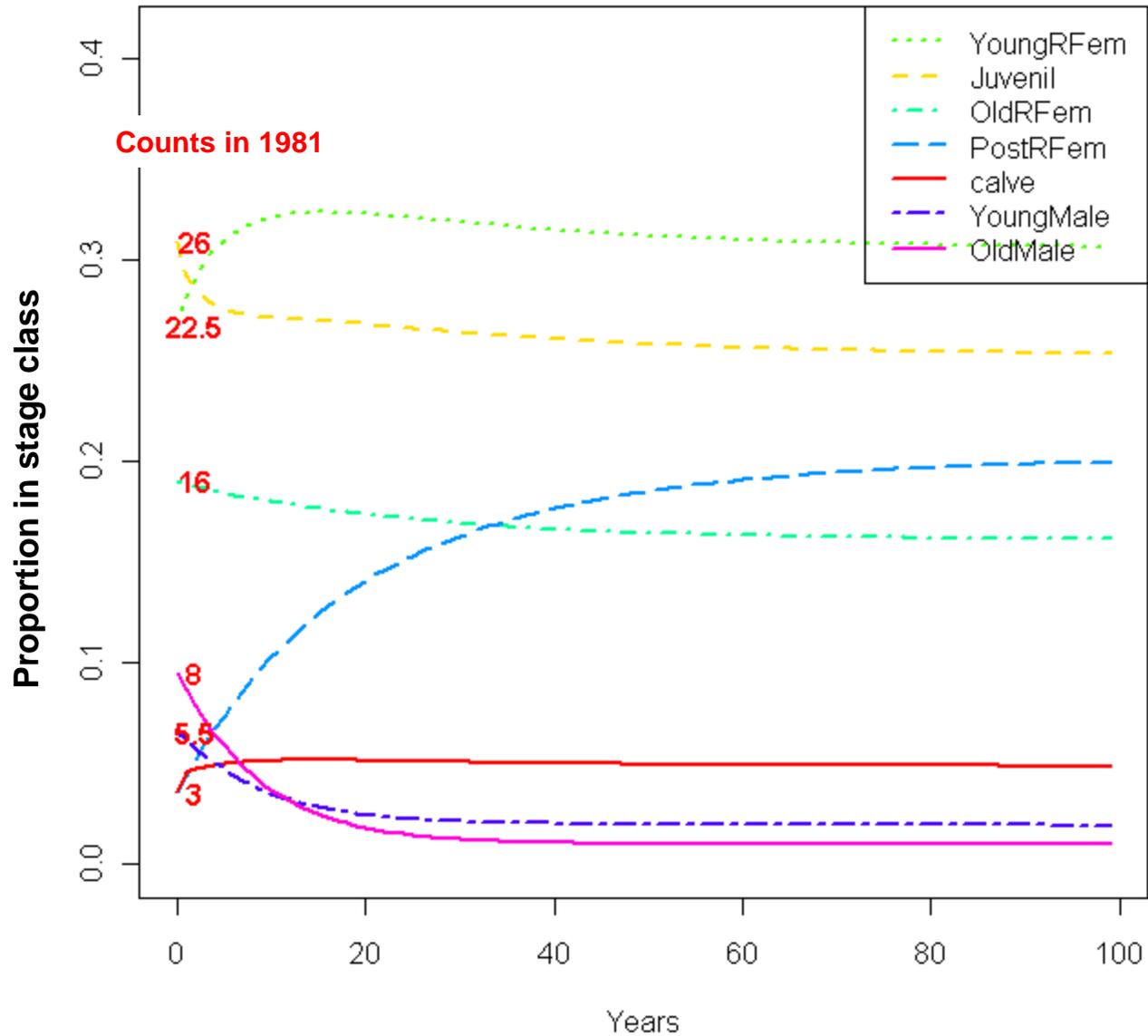
Higher proportion of post-reproductive females in SRKW



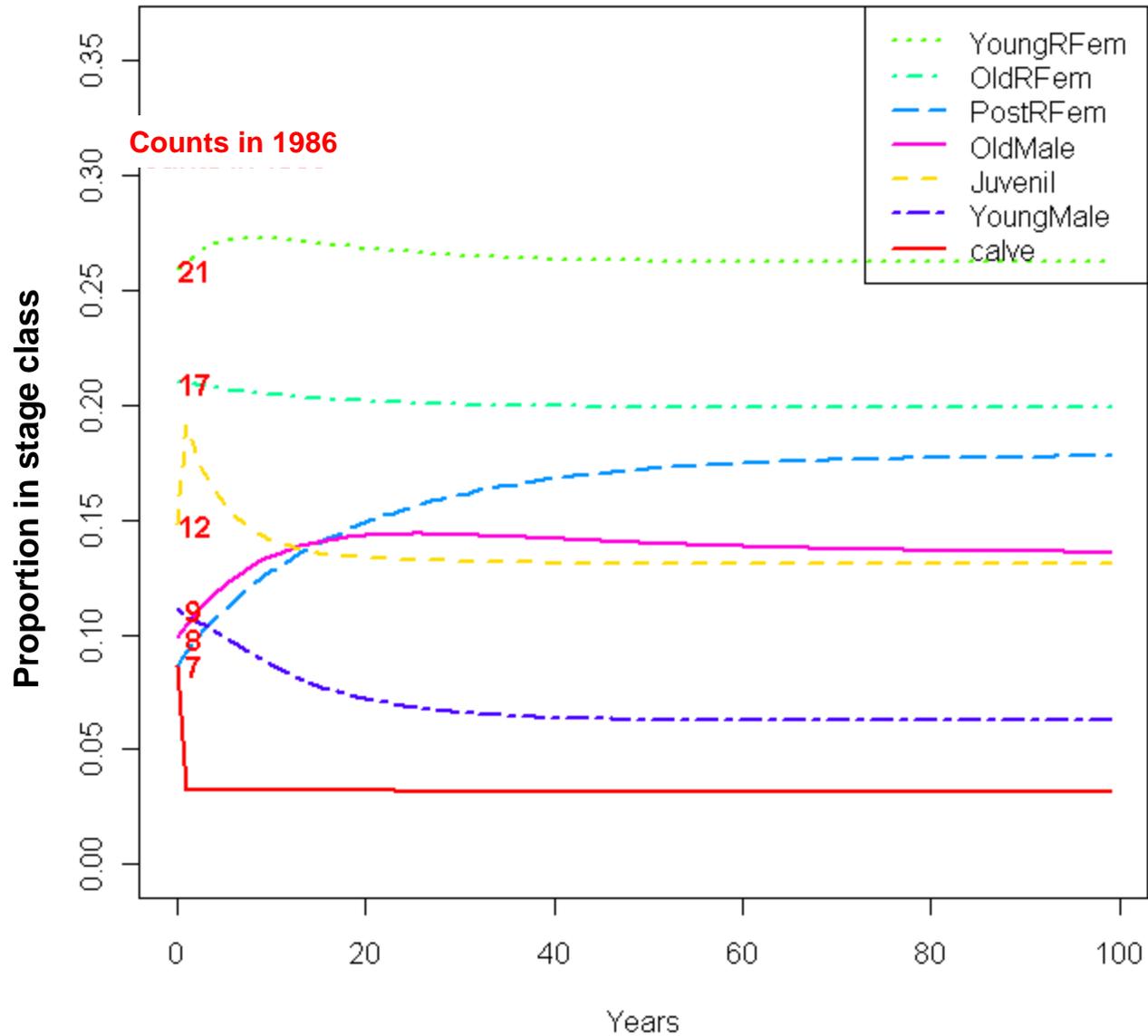
Stable Stage Projection from SRKW 1973 - 1976



Stable Stage Projection from SRKW 1977 - 1981



Stable Stage Projection from SRKW 1982 - 1986

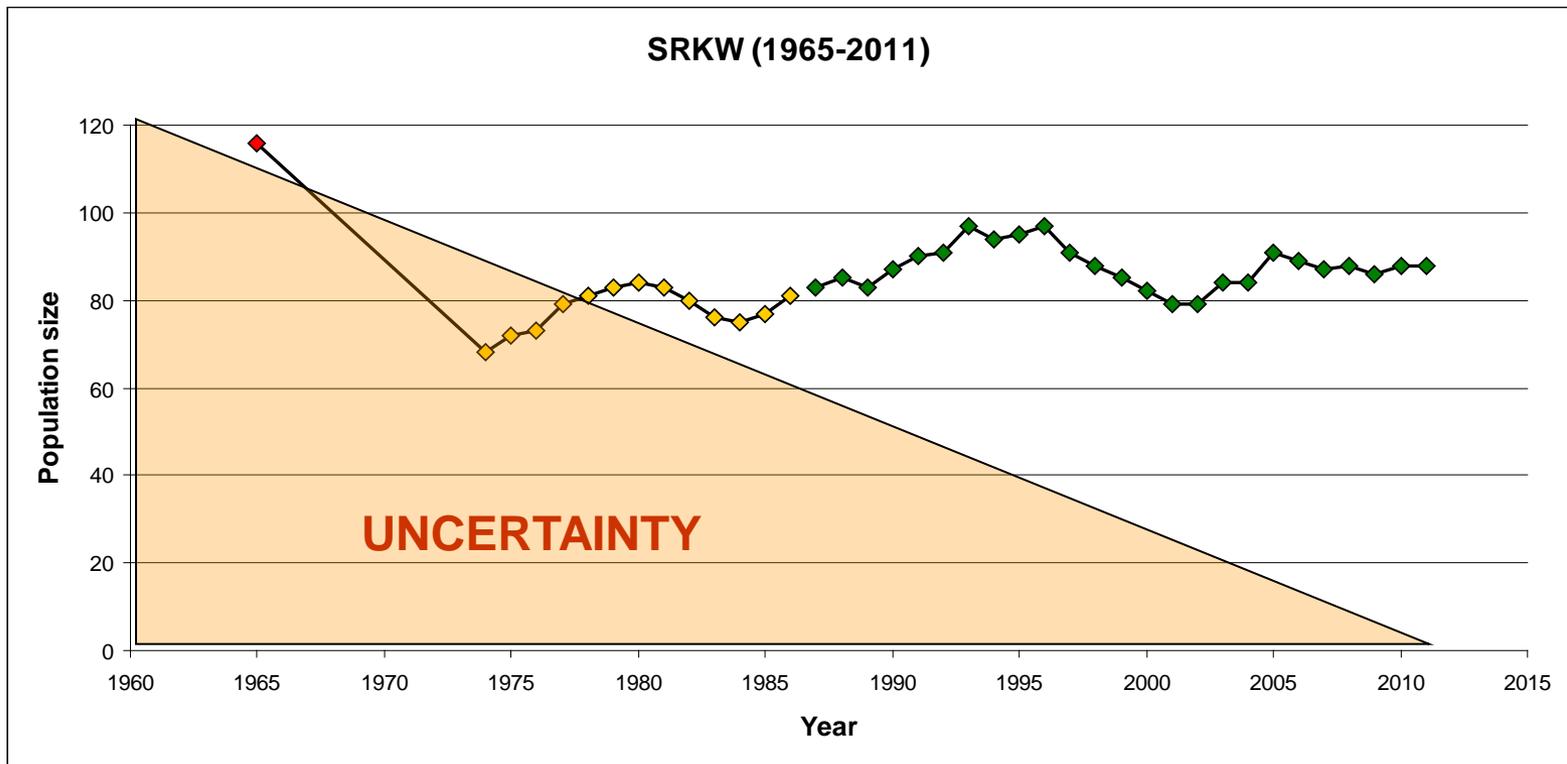


Population growth

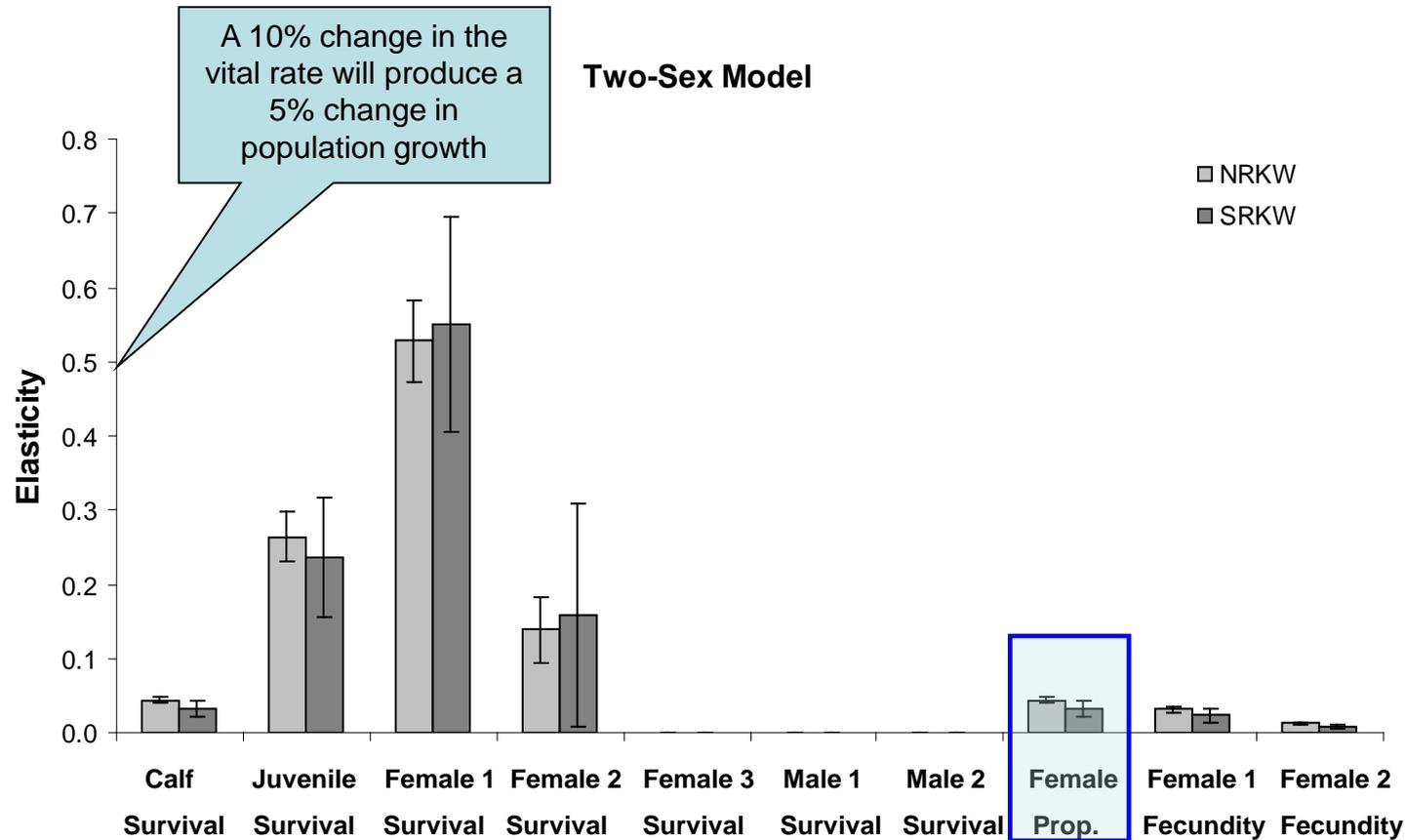
Last generation (1987-2011)

- SRKW : 0.9909 (i.e., annual decline of 0.91%)
- Minimum length of time horizon for projections of SRKW population growth: 35 y → from transient dynamics
- NRKW : 1.0165 (i.e., annual increase of 1.65%)
- Minimum length of time horizon for projections of NRKW population growth: 20 y → from transient dynamics

Time series length vs. uncertainty

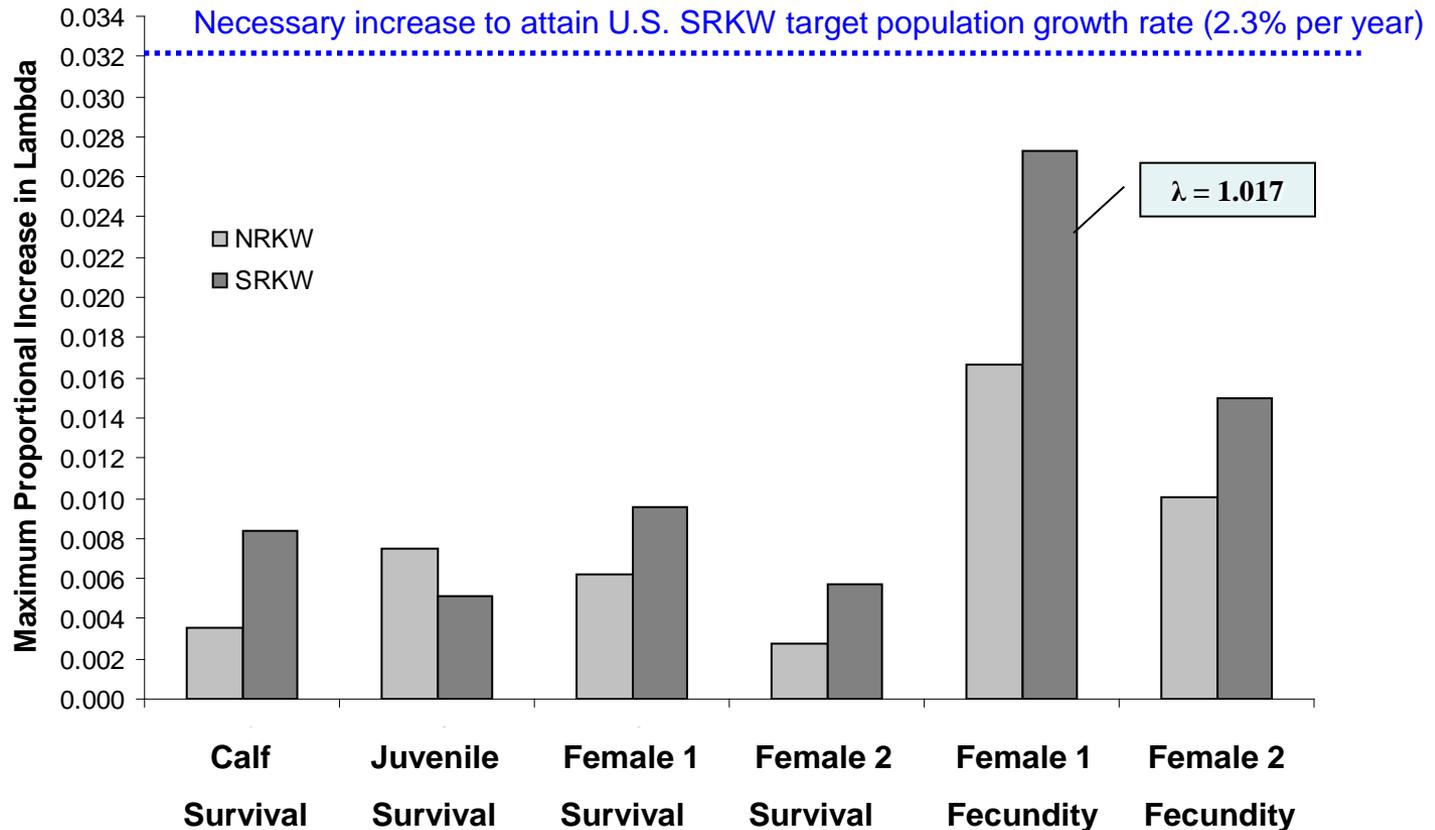


Sensitivity of population growth to changes in vital rates (prospective)

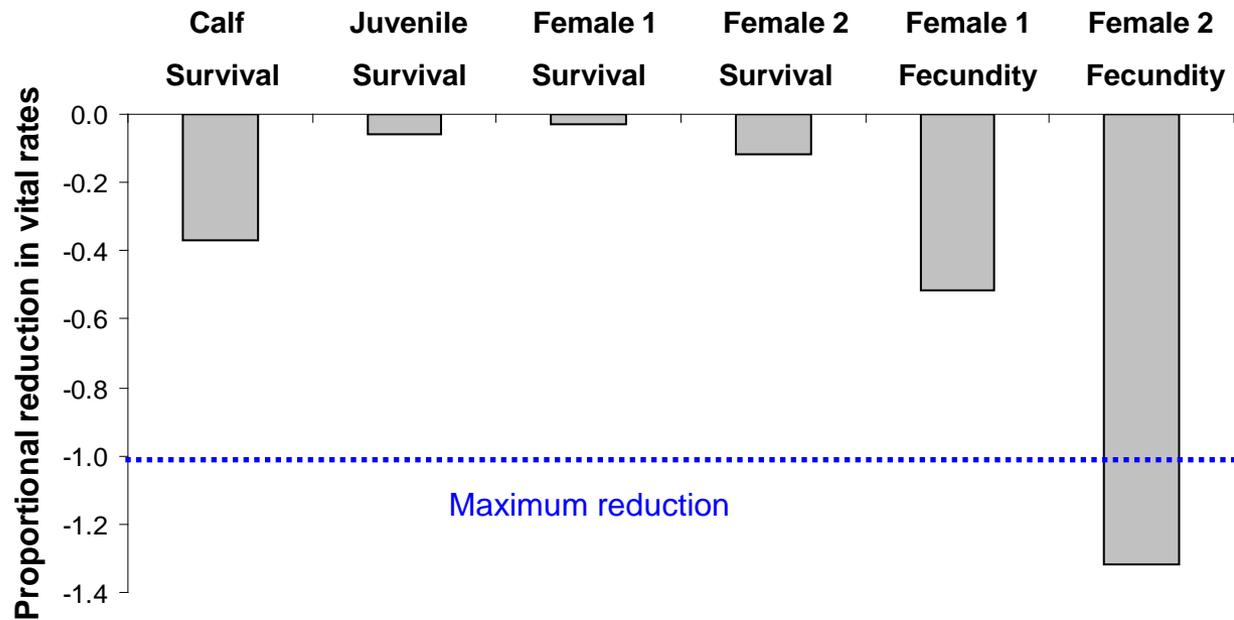


$$\epsilon_{vr} = \frac{\text{Proportional change in population growth rate}}{\text{Proportional change in the vital rate}}$$

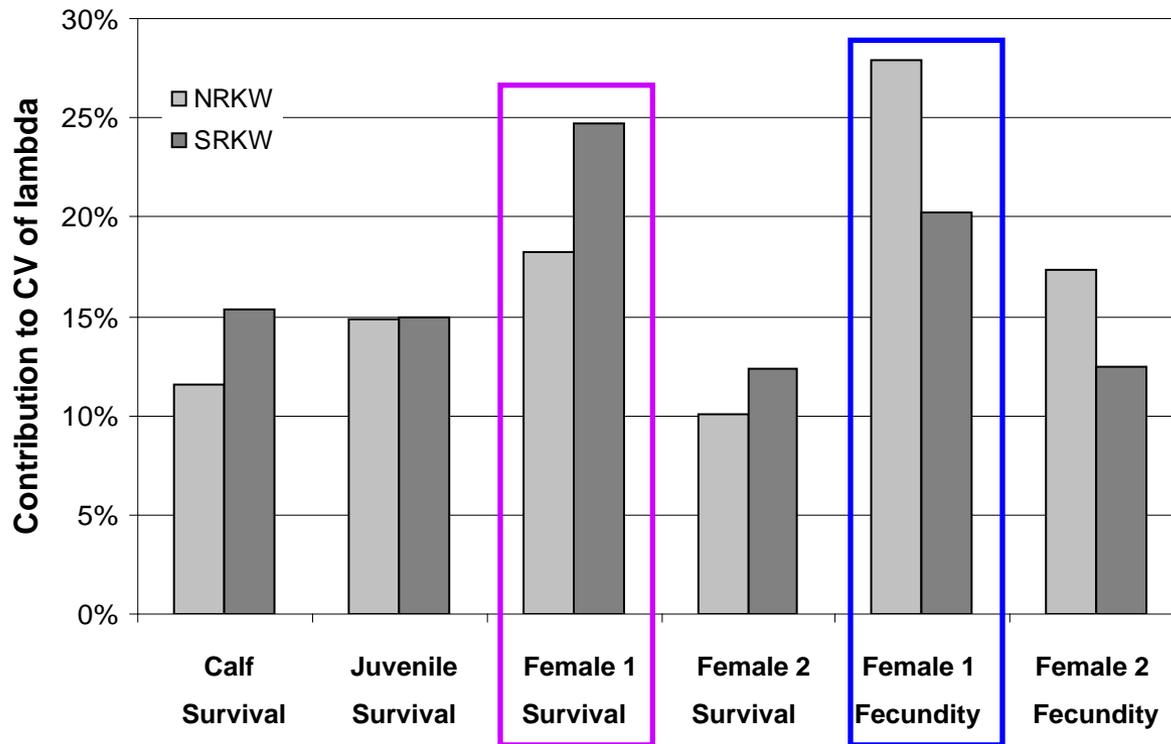
Maximum increase in population growth from maximization of individual vital rates (1.0 for survival; upper 95% CL for fecundity)



NRKW vital rate reduction required to produce stationarity ($\lambda=1.0$)



Life Table Response Experiments at the matrix-element level (retrospective)



- NRKW: Fecundity of young reproductive females had largest contribution
- SRKW: Survival of young reproductive females had largest contribution

Greatest benefits to λ

- Avoiding reductions to survival of young reproductive females (Female-1)
- Increasing fecundity rates (particularly of Female-1)

RKW demographic differences

- Lower λ and viability in SRKW
 - lower viable-calf survival
 - lower fecundity of old reproductive females
 - greater variability in vital rates
 - greater proportion of post-reproductive females
 - lower average proportion of juveniles transitioning into young reproductive females

Next

- Bring RKW/Chinook interactions into perturbation analyses
 - Explore sensitivity of λ to Chinook abundance
 - Terminal run
 - Ocean abundance